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*Flipping and flowing*

The well-known Koebe–Andreev–Thurston circle packing theorem states that for every planar graph  $G$  with  $n$  vertices, there is a corresponding packing of  $n$  disks in the plane, whose contact graph is isomorphic to  $G$ . Moreover, if  $G$  has all its faces triangles, then this packing is unique up to Möbius transformations and reflections. The idea is to take a given triangulated packing, move the whole packing removing one contact, while, at the end, creating another contact, keeping the whole collection a packing in between. This is an idea going back to László Fejes Tóth. (Joint work with Steven Gortler.)