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*Maximally non-associative quasigroups*

A quasigroup  $(Q, *)$  is an algebraic structure whose multiplication table is a Latin square. We say that  $(x, y, z) \in Q^3$  is an associative triple if  $(x * y) * z = x * (y * z)$ . Let  $a(Q)$  denote the number of associative triples in  $Q$ . One shows easily that  $a(Q) \geq |Q|$ , and it was conjectured that  $a(Q) = |Q|$  never occurs for  $|Q| > 1$ . When  $q$  is an odd prime power, we give a non-constructive proof of existence of quasigroup  $Q$  with  $a(Q) = |Q| = q^2$ . Our main tools are Dickson nearfields and Weil bound for character sums. This is joint work with Aleš Drápal (Charles University, Prague).