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**Extremal Graph Theory**  
(Org: Penny Haxell (University of Waterloo))

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**M. DEVOS**, Simon Fraser University  
*Edge Expansion*

Given a simple connected regular graph  $G$ , we are interested in finding good lower bounds on the number of edges in the graph  $G^k$ . I will discuss tight bounds for the average degree of  $G^3$  and  $G^4$ , and an essentially tight bound for  $G^k$  when  $k$  is congruent to 2 modulo 3. This represents joint work with Stephan Thomasse and with Jessica McDonald and Diego Scheide.

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**A. KOSTOCHKA**, University of Illinois at Urbana-Champaign  
*Packing hypergraphs with few edges*

Two  $n$ -vertex hypergraphs  $G$  and  $H$  pack if there is a bijection  $f : V(G) \rightarrow V(H)$  such that for every edge  $A \in E(G)$ ,  $f(A)$  is not an edge. Our result: If  $n \geq 10$  and two  $n$ -vertex hypergraphs  $G$  and  $H$  with no 1-,  $(n-1)$ -, and  $n$ -edges satisfy  $|E(G)| \leq |E(H)|$  and  $|E(G)| + |E(H)| \leq 2n - 3$ , then  $G$  and  $H$  fail to pack if and only if every vertex of  $G$  is incident to a 2-edge, and  $H$  has a vertex incident to  $n - 1$  2-edges. The result generalizes Bollobás–Eldridge Theorem. This is joint work with C. Stocker and P. Hamburger.

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**D. MUBAYI**, University of Illinois at Chicago  
*Lower bounds for the independence number of hypergraphs*

We use probabilistic methods to improve the known lower bounds for the independence number of locally sparse graphs and hypergraphs. As a consequence, we answer some old questions of Caro and Tuza. This is joint work with K. Dutta and C.R. Subramanian.

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**O. PIKHURKO**, Carnegie Mellon University  
*Turan function of even cycles*

The Turán function  $ex(n, F)$  is the maximum number of edges in an  $F$ -free graph on  $n$  vertices. Let  $C_k$  denote the cycle of length  $k$ . We prove that if  $k$  is fixed and  $n$  tends to infinity, then  $ex(n, C_{2k}) \leq (k - 1 - o(1)) n^{1+1/k}$ , improving the previously best known general upper bound of Verstraete (2000) by a factor  $8 + o(1)$  when  $n \gg k$ .

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**J. VERSTRAETE**, University of California San Diego  
*Recent progress on bipartite Turán numbers*

For a family  $\mathcal{F}$  of graphs, the Turán number  $ex(n, \mathcal{F})$  is the maximum number of edges in an  $n$ -vertex graph that has no graph in  $\mathcal{F}$  as a subgraph. Determining  $ex(n, \mathcal{F})$  when  $\mathcal{F}$  contains a bipartite graph is a notoriously difficult problem. We discuss recent progress on several conjectures of Erdős and Simonovits from 1982 about bipartite Turán numbers. (Partly joint with Peter Keevash and Benny Sudakov.)