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*Edge List Colouring of Planar Cubic Graphs*

Let  $G$  be a planar cubic multigraph having  $b(G)$  cut-edges. Then  $G$  is 4-edge list colourable. Indeed, only a few edges of  $G$  require lists of length 4. We show, nonconstructively, that there exists  $F \subseteq E(G)$  with  $|F| \leq 3b(G)$  such that  $G$  has a proper  $L$ -edge colouring for every list assignment  $L$  satisfying  $|L(e)| \geq 3$  ( $e \in E(G)$ ) and  $|L(e)| \geq 4$  ( $e \in F$ ). This is joint work with Andrea Spencer.